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- ▶ ... why would this be the case???
- ▶ Here are the ingredients I'll give you to work with:
 - ▶ A lexicon
 - ▶ A probability distribution $P(w)$ over entries in the lexicon
 - ▶ Your choice of representations for the “input” to the word recognition
 - ▶ Bayes' rule

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- ▶ The inputs $\{I_j\}$ are all INDEPENDENT AND IDENTICALLY DISTRIBUTED given the stimulus w^* —that is, $P(I_j|w^*) = P(I_k|w^*)$ and $I_j \perp I_k | w^*$ for $j \neq k$

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- ▶ With Bayes rule we can rewrite this as

$$\begin{aligned} P(w|I_{1\dots n}) &= \frac{P(I_{1\dots n}|w)P(w)}{P(I_{1\dots n})} \\ &= \frac{P(I_1|w)P(I_2|w) \dots P(I_n|w)P(w)}{P(I_{1\dots n})} \end{aligned}$$

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$$P(w|I_{1\dots n}) = \frac{P(I_n|w, I_{1\dots n-1})P(I_{1\dots n-1}|w)}{P(I_n|I_{1\dots n-1})}$$

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 2. If $P(w|I_{1\dots n})$ exceeds a threshold α for some w , stop and choose w ; otherwise collect another sample and repeat.

References I

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